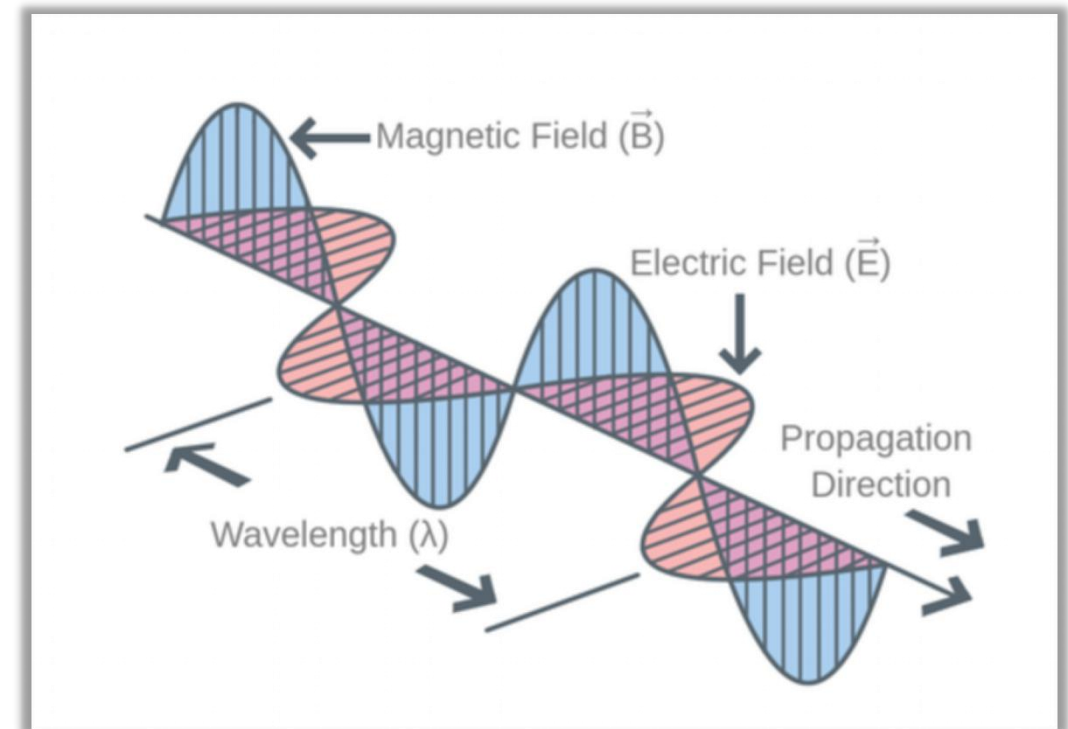
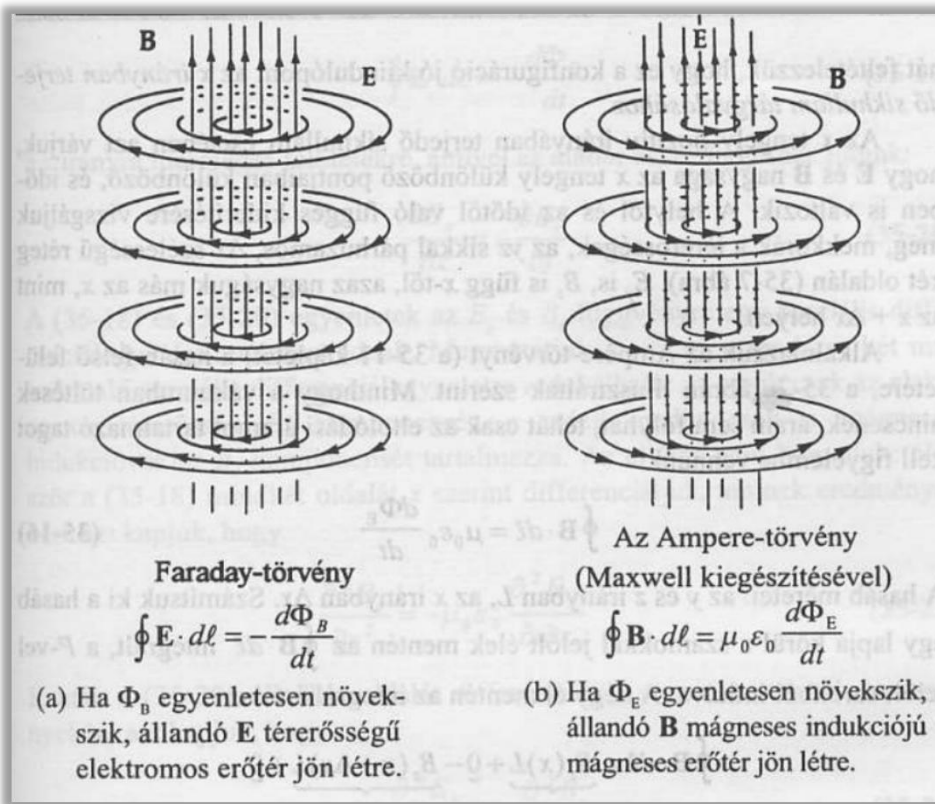


Ismétlés

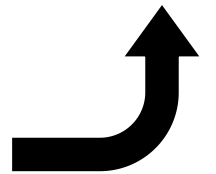


	Integrális alak (makroszkopikus)	Differenciális alak (makroszkopikus)
I. Elektromos Gauss-törvény	$\oiint \mathbf{E} \cdot d\mathbf{A} = \frac{q}{\epsilon_0}$	$\nabla \cdot \mathbf{E} = \frac{\rho}{\epsilon_0}$
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$$\frac{\partial^2 \mathbf{E}}{\partial t^2} = \frac{1}{\mu_0 \epsilon_0} \nabla^2 \mathbf{E}$$

$$\frac{\partial^2 \mathbf{B}}{\partial t^2} = \frac{1}{\mu_0 \epsilon_0} \nabla^2 \mathbf{B}$$



Optika

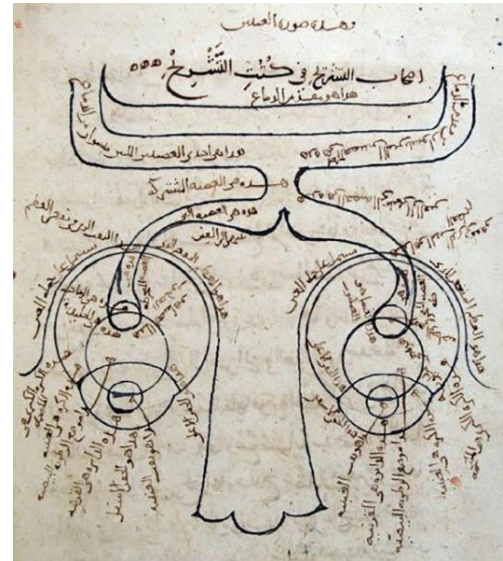
A fénytan rövid története

Eukleidész és Ptolemaiosz



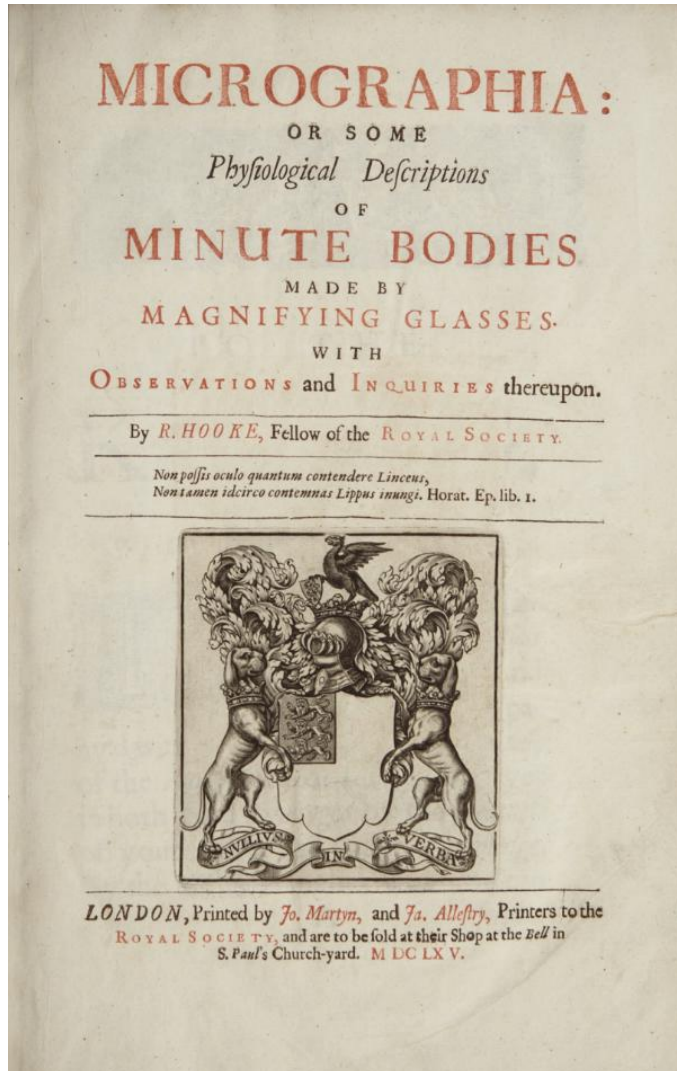
Geometriaai optika alapja: a fény egyenes úton terjed

Ibn al-Haytham ~1000



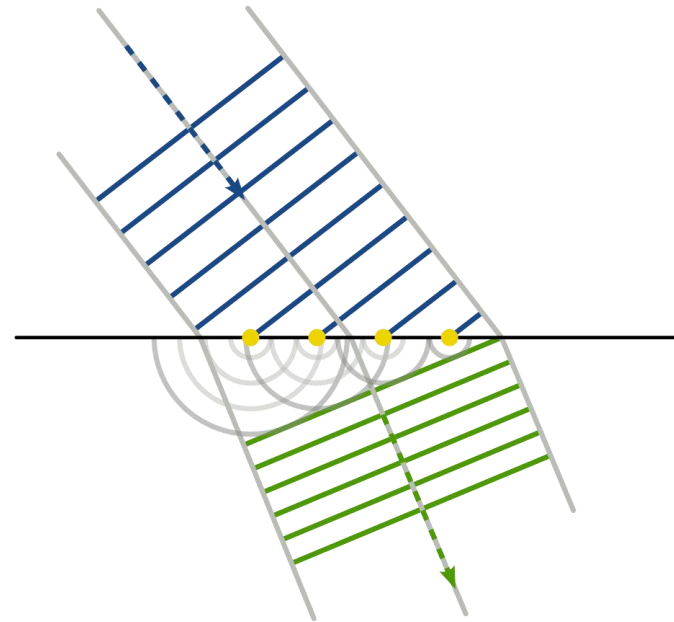
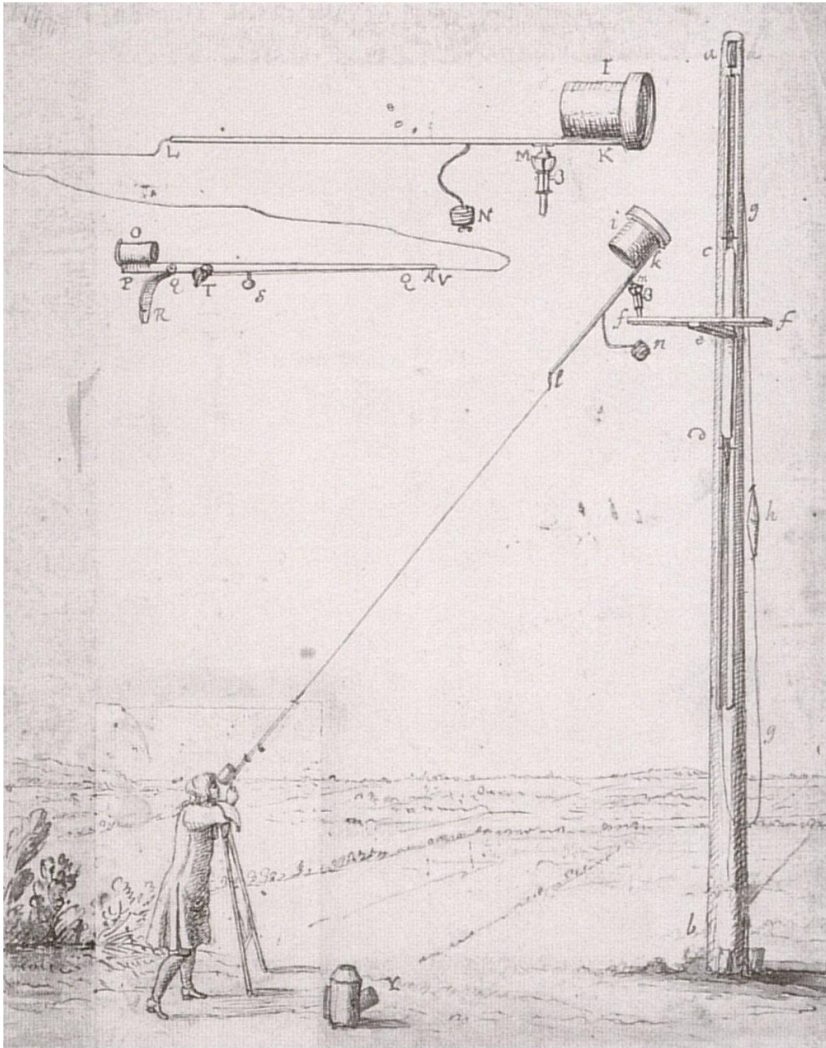
Az optika könyve: reflexió, refrakció, a látás

Robert Hooke 1665



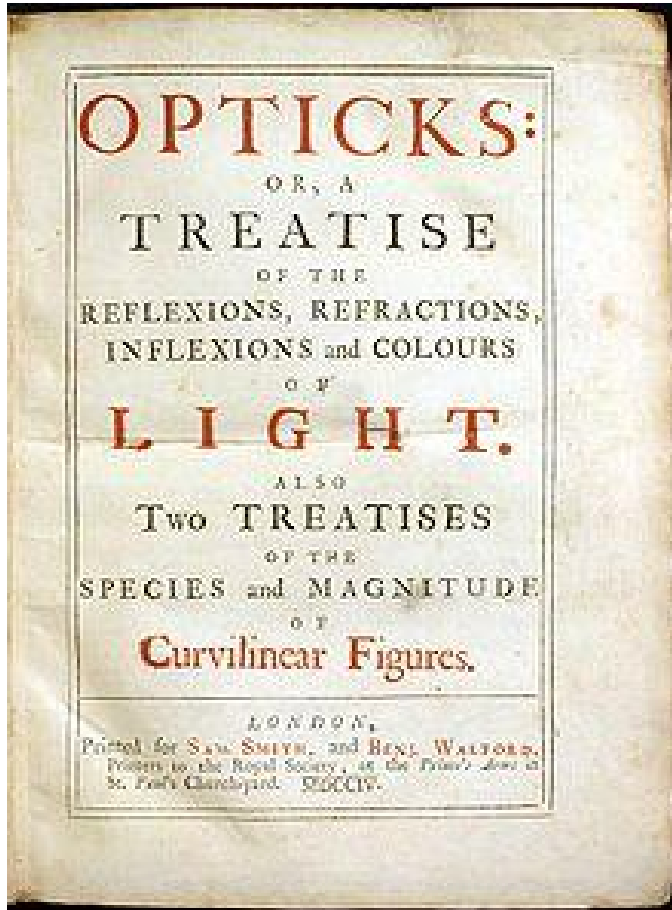
Refrakció → a fény hullám

Christiaan Huygens 1678



A fény terjedése: hullámfront minden pontja elemi gömbhullámok kiindulópontja.

Isaac Newton 1704

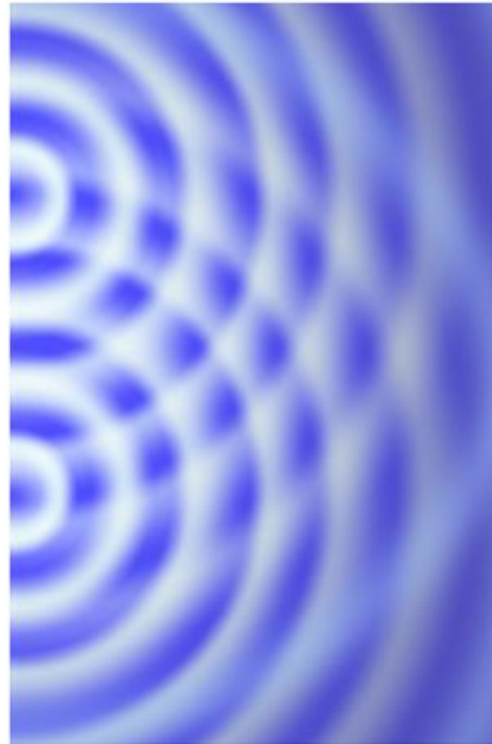
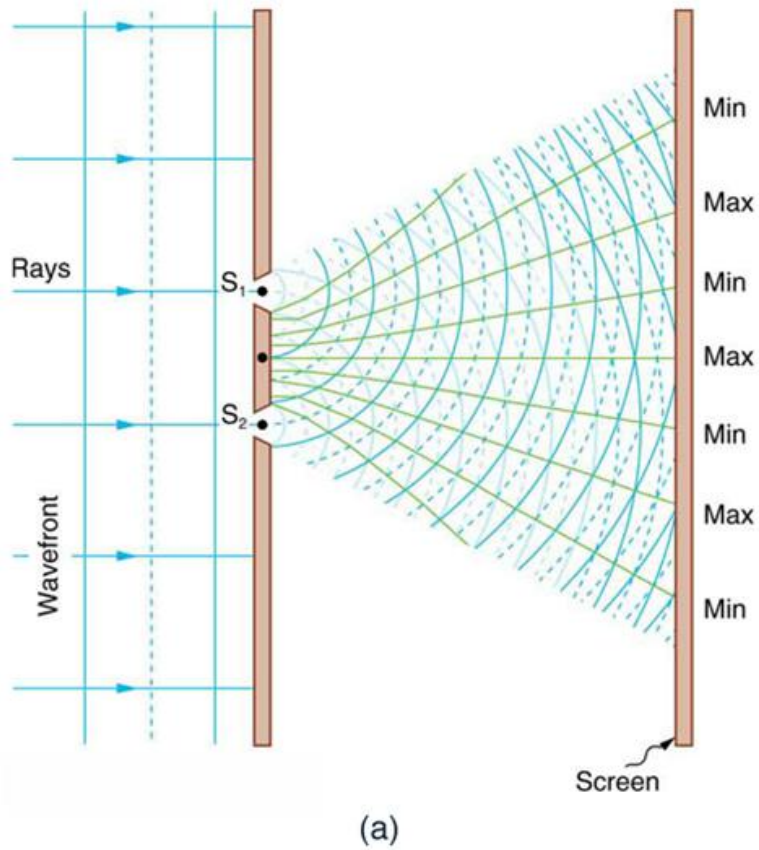


Korpuszkula elmélet

Isaac Newton demonstrating that going outside is gay (c. 1670)

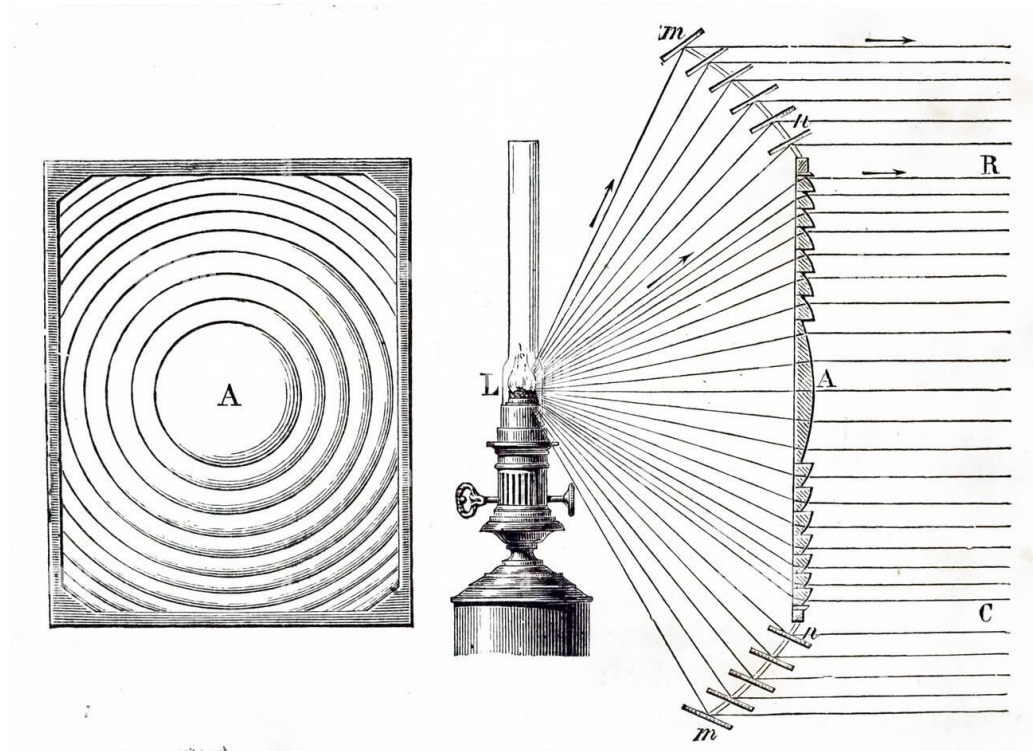
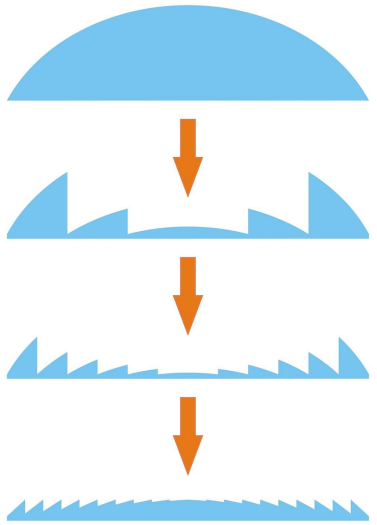


Thomas Young 1801



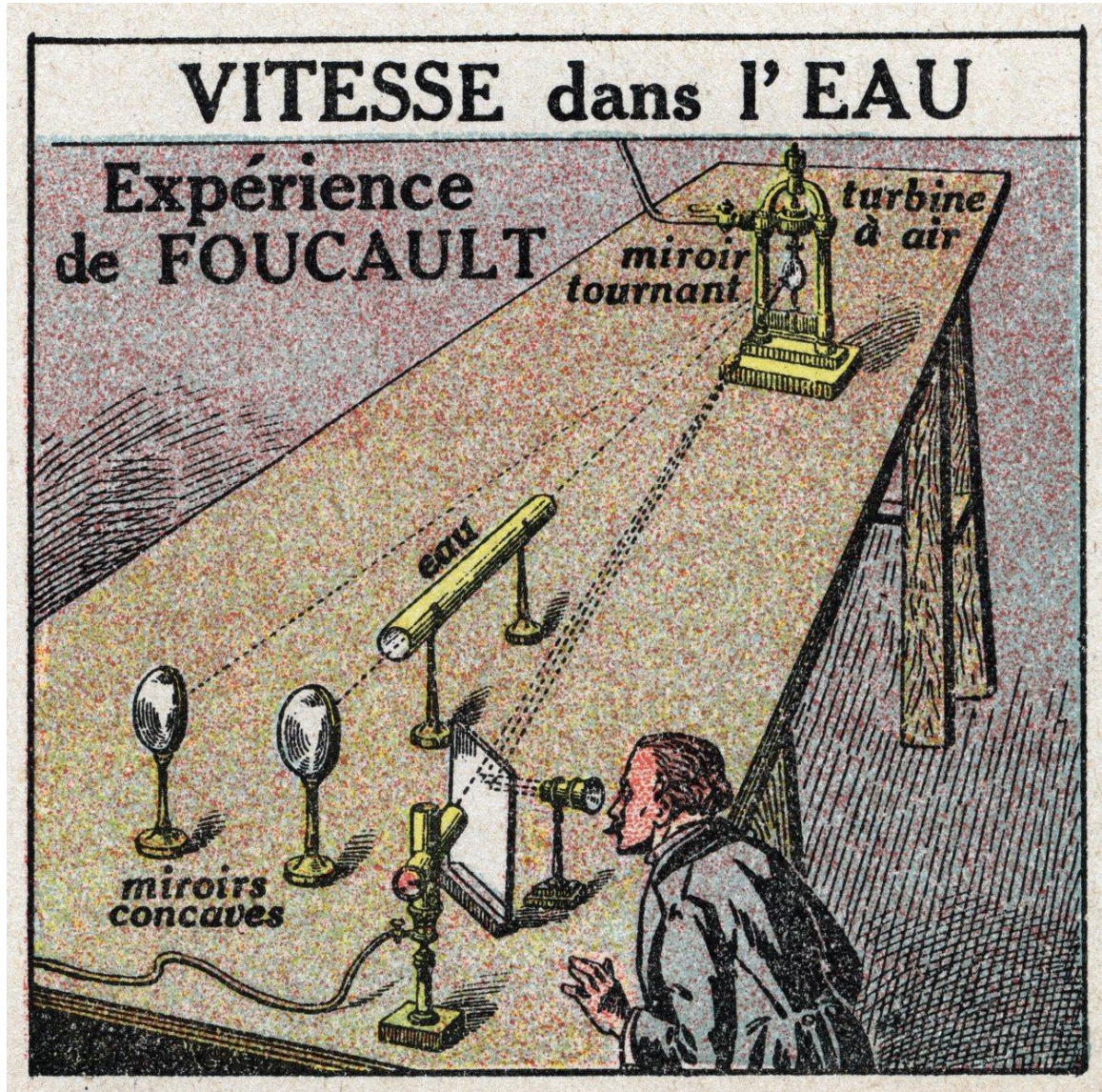
Kétrés-kísérlet

Augustin-Jean Fresnel 1817



Huygens-Fresnel-elv: Másodlagos hullámok
Diffrakció, polarizáció

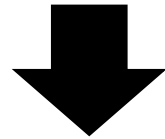
Léon Foucault 1850



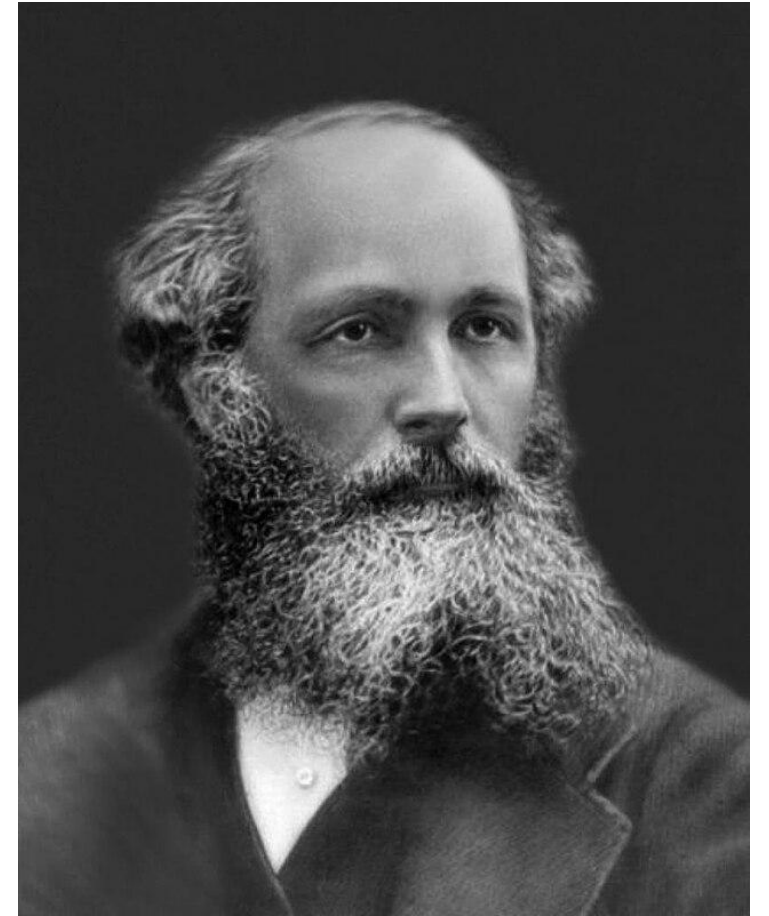
Fény terjedési sebességének
mérése

James Clerk Maxwell 1864

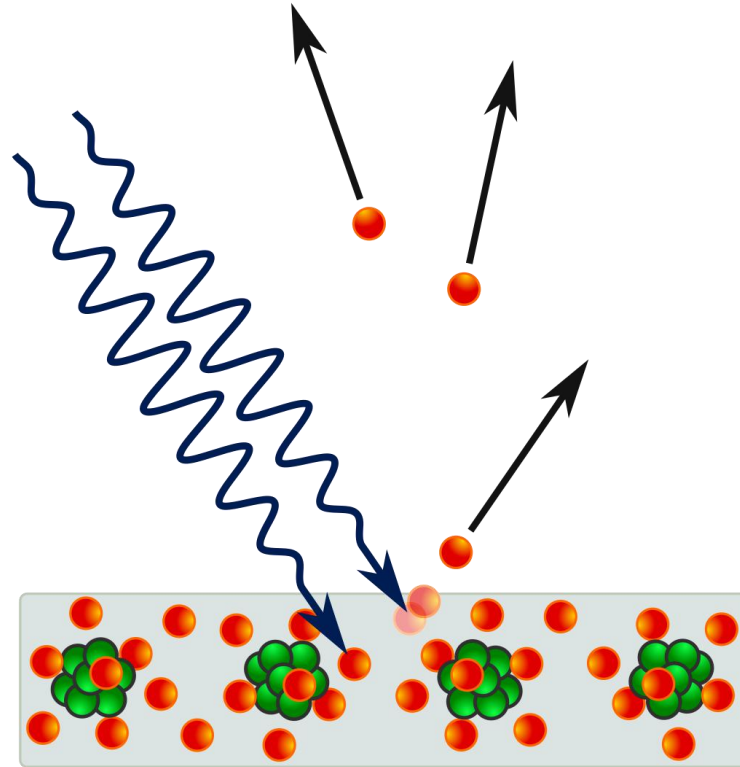
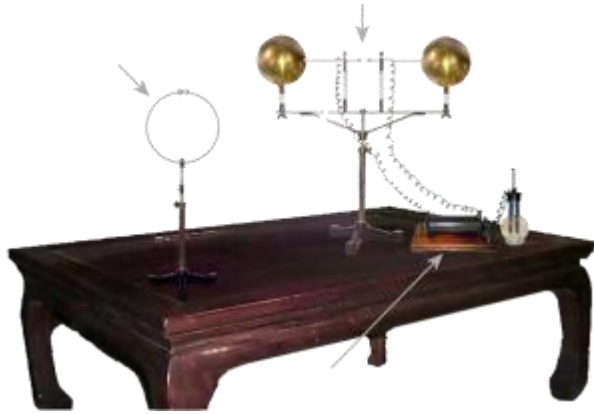
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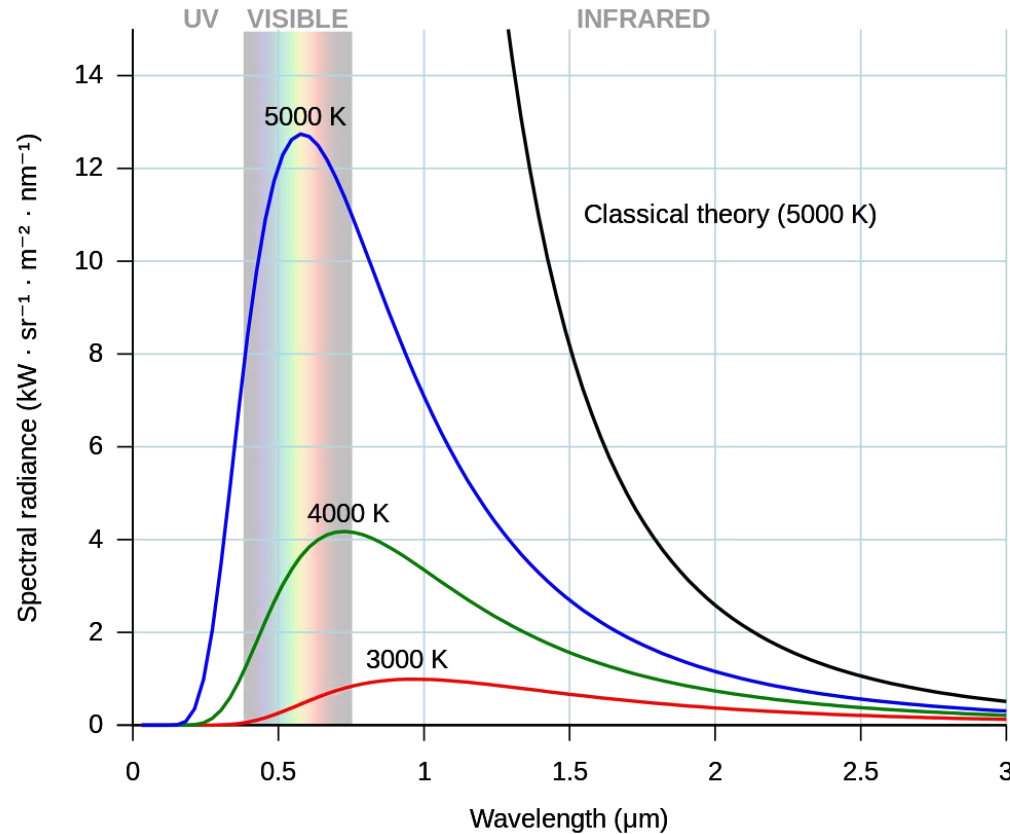


Heinrich Hertz 1887

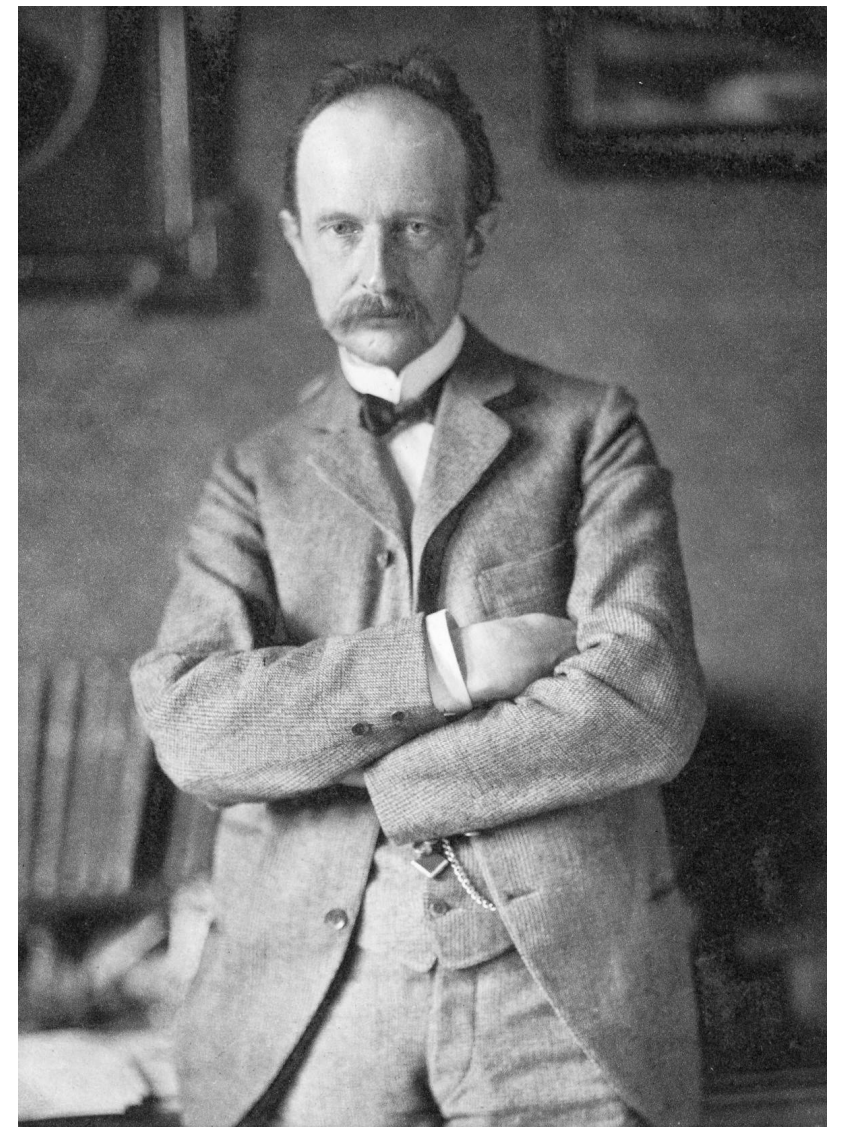


Fotoeffektus (Fotoelektromos hatás)

Max Planck 1900

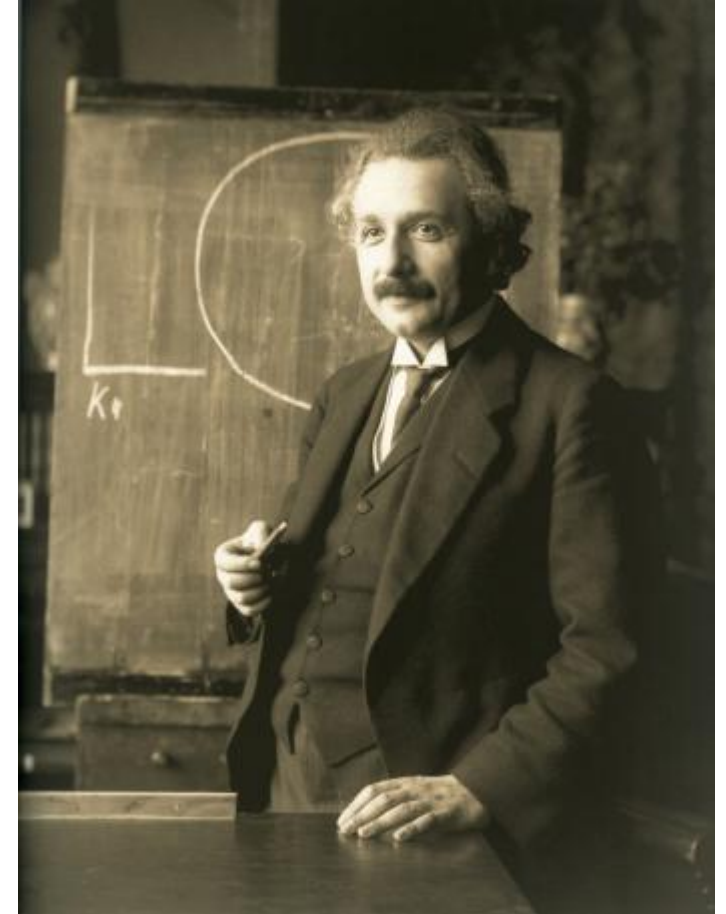
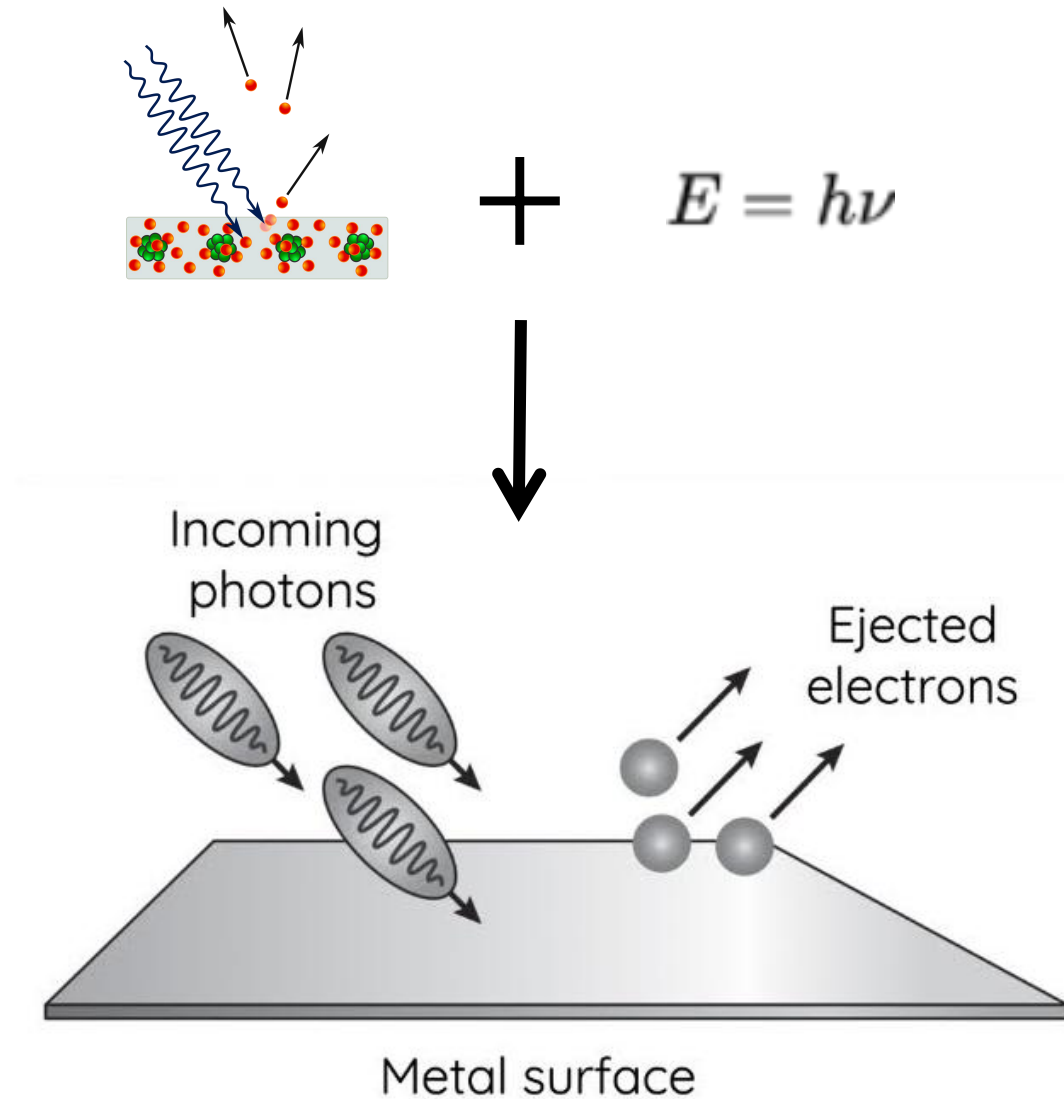


$$B_{\nu}(T) = \frac{2h\nu^3}{c^2} \frac{1}{e^{h\nu/kT} - 1}, \quad E = h\nu$$

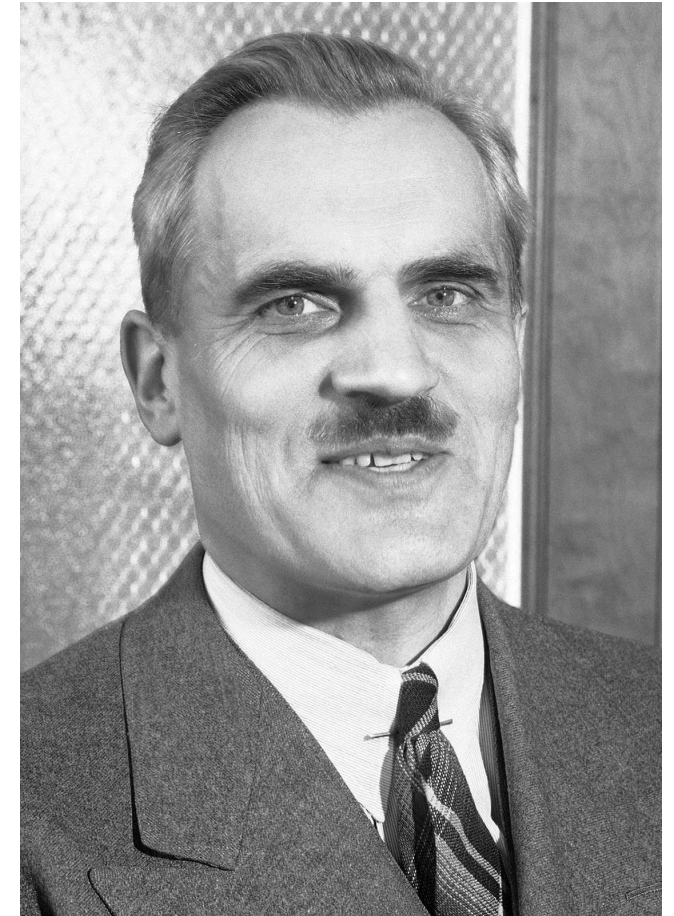
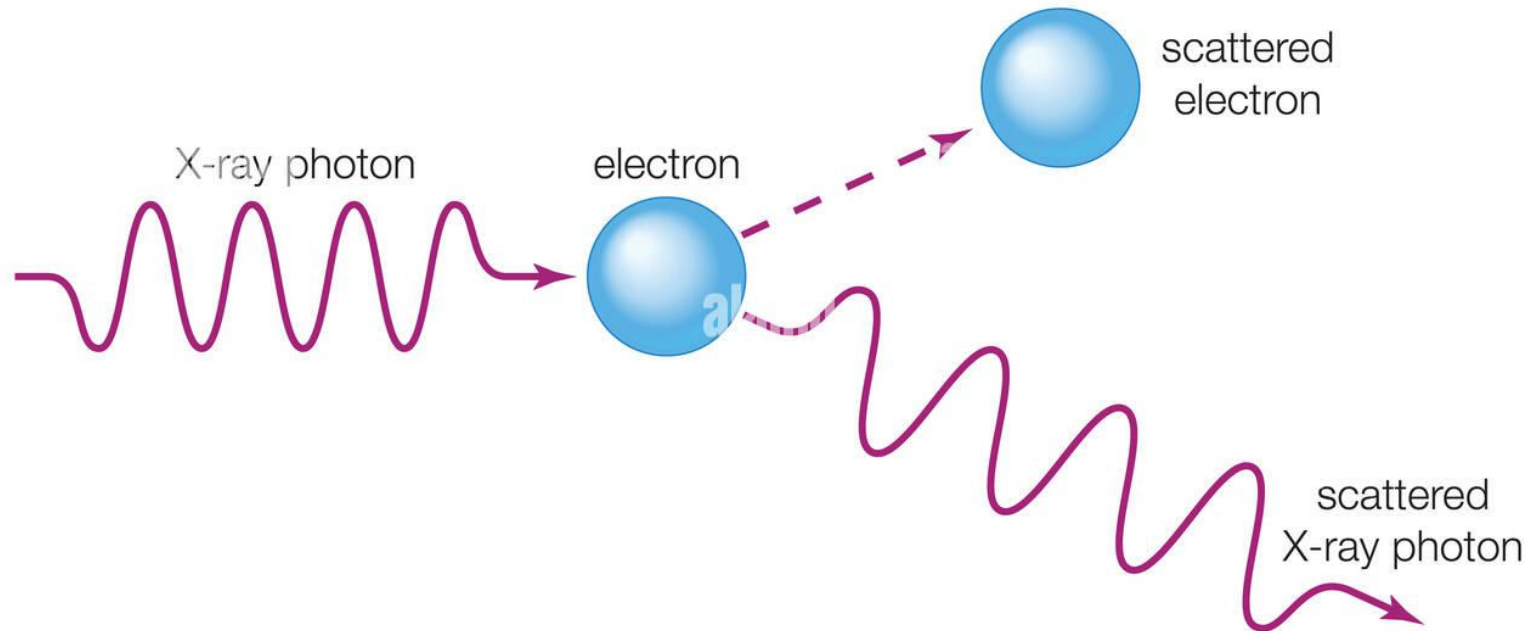


Kvantált energia,
feketetest sugárzás

Albert Einstein 1905



Arthur Compton 1923

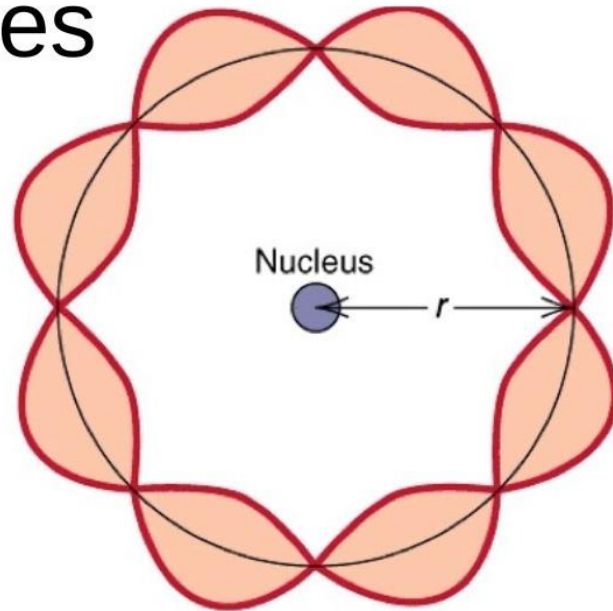


Compton-szórás

Louis de Broglie 1924

Standing Waves

$$\lambda = \frac{h}{mv}$$



Hullámok és kvantumok: Anyaghullám és de Broglie hullámhossz

→ Davisson-Germer kísérlet igazolja az elektron hullámtermészetét

→ Kvantum elektrodinamika (QED)